DSP Session 14/12/2015 1 "Digital Filter" x(n) Filter Y(n) System J (T.F) J) elle 4 ive (Frequency) is a التي ستغذى محمد عدال (Greq) اللي عايز. y(n)= h(n) * X(n) Locavolation $Y(z):H(z) \cdot X(z) = \sqrt{\frac{y(z)}{X(z)}} = H(z)$ We implement the T.F using Digital structure * Direct Form I * Direct Form II * Parallel form -> review on FIR / IIR FIR - Finite impulse response. IIR -> infinite " y(n) = N a_K x(n-K) →(1) N > 1 dertres of P JI y(n)= = ax x(n-K) des (IIP) desireo (01P) J القيم السابقة مس لحظم مابدأت. - وهو غير قابل للتطبيع الأنه هيعتاج عدد لافا في مراله (Positions)

سے لما أستعل محودہ مدال (۱Ps) السابقة التي تعبر عد كر بن (Systemi1P) (System) I Talso Tu lel 12 - Terlul (1/B) 11 مسر أدل ما أشتغل.

$$y(n) = \sum_{k=1}^{N-1} a_k y(n-k) + \sum_{k=0}^{N} a_k x(n-k) \longrightarrow (2)$$

Apply Z-transform on(1)

(lestin & J) (x term) Ji) zeros when

X(z) = (a. + a, z' + az z² + ...) X(z)

Y(z) s ao + a, z + a, z - - (Zero) ~ 5, Le J >> J5

Apply Z.T on (2)

(les uper) (y ferm) g)) (y ferm) g)

y(z)=a, z'y(z)+azz2 y(z)+---

= bo x(z) + b, x(z) z1+-...

$$\frac{Y(z)}{X(z)}$$
 = $\frac{b_0 + b_1 z^1 + \cdots}{1 + a_1 z^1 + a_2 z^2 + \cdots}$

* بالفربع بسبك "ومقاماً في " يطلع معامل أعلى _ السبلم مثلة في المعام يبقى فعل (Partial Fraction) عشان أطلع اله (Partial Fraction). * بالتالى ديملع حد تابت بعن (م (ع) ادلما أدخل ع المريملع على اه وده منت حقیقی فی (Physical system) لوحندی .sys شعا در mill.sec واله (controller) متعال به اله التالي كل على يتغير به اله ١١٦ يندُغلم اله (Catroller) "Asec 1000" وبالتالي التغير ليس لوظي لذا

الله عنه مع تكرم عنو.

$$\frac{y(z)}{x(z)} = \frac{b_0 + b_1 z^2 + \cdots}{1 + a_1 z^2 + a_2 z^2 + \cdots}$$

$$H(z) = \frac{0.5(1+z^1+z^2)}{(1-0.3z^1)(1+0.4z^1)(1+0.9z^1)}$$

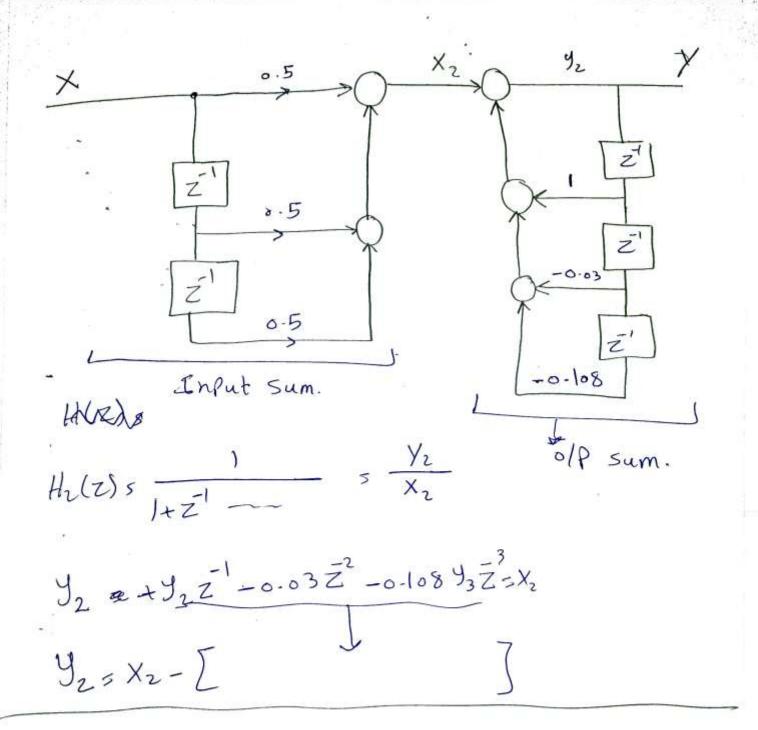
$$5 \frac{0.5(1+z^{1}+z^{2})}{1+z^{1}-0.03z^{2}-0.108z^{3}} 5 H_{1}(z) H_{2}(z)$$

$$H_1(z)$$
 s o-5 (1+z¹+z²) } Direct I
 $H_2(z)$ s $\frac{1}{1+z^{\frac{1}{2}}-0.03z^{\frac{2}{2}}-0.108z^{\frac{3}{2}}}$

$$H_{1}(z) : 0.5 (1+z^{-1}+z^{-2}) = \frac{Y_{1}}{X_{1}}$$

 $Y_{1} = 0.5 (X_{1}+X_{1}z^{-1}+X_{1}z^{-2})$





$$H_{1} = \frac{1}{1+z^{1}-0.03z^{2}-0.108z^{3}}$$

$$H_{1} = \frac{1}{1+z^{1}-0.03z^{2}-0.108z^{3}}$$
Direct II

(B) 147

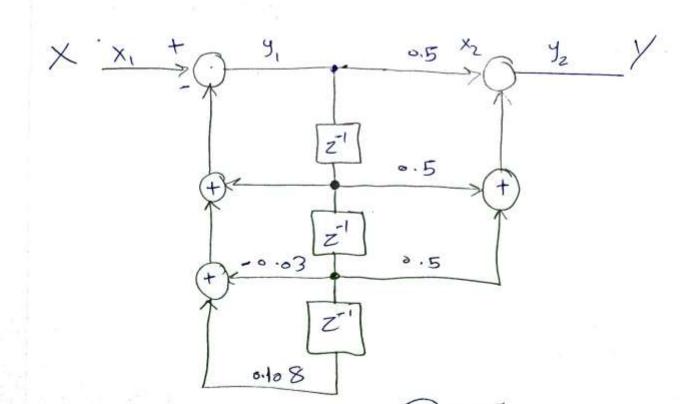
$$H_1(z) = \frac{1}{x_1} = \frac{1}{1+z^{-0.03}z^{2}-0.108z^{3}}$$

$$y_1 + y_1 z_1^{-1} = 0.03 y_1 z_2^{-2} = 0.108 z_3^{-3} = X,$$

 $y_1 = X_1 - [$

$$H_{2} = 0.5(1+\overline{z}^{1}+\overline{z}^{2}) = \frac{y_{2}}{x_{1}}$$

 $y_{2} = 0.5(x_{1}+x_{2}\overline{z}^{1}+x_{2}\overline{z}^{2})$



*
$$H(z) = \frac{0.5(1+z^{7}+z^{2})}{4z}$$
 $+H(z) = \frac{0.5(1+z^{7}+z^{2})}{4z}$
 $+H(z) = \frac{0.5(1+z^{7}+z^{2})}{4z}$
 $+H(z) = \frac{0.5(2+z+1)Z}{(2+0.9z^{7})}$
 $+H(z) = \frac{0.5(2+z+1)Z}{(2+0.4)(2+0.9)}$
 $+H(z) = \frac{A_{1}Z}{(2+0.4)(2+0.9)}$
 $+H(z) = \frac{A_{2}Z}{(2+0.4)(2+0.9)}$
 $+H_{1} = \frac{A_{2}Z}{(2+0.4)(2+0.9)}$
 $+H_{2} = \frac{A_{3}Z}{(2+0.4)(2+0.9)}$
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 $+H_{2} = \frac{A_{3}Z}{(2+0.4)(2+0.9)}$
 $+H_{3} = \frac{A_{1}Z}{(2+0.9)}$
 $+H_{3} = \frac$

Given
$$y(n) = \frac{3}{4}y(n-1) + \frac{1}{8}y(n-2) = x(n) + \frac{1}{2}x(n-1)$$

$$\frac{y(z)}{x(z)} = \frac{1 + 0.5 z^{-1}}{1 - 0.75 z^{-1} + 0.125 z^{-2}}$$